



On the Notion of Percentage Nucleotide Concentration of Genome Sequences in Terms of Cellular Automata Evolutions of Adjoints Sequences

By Prashanthi Govindarajan, Sathya Govindarajan & Ethirajan Govindarajan

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On the Notion of Percentage Nucleotide Concentration of Genome Sequences in Terms of Cellular Automata Evolutions of Adjoints Sequences

Prashanthi Govindarajan^α, Sathya Govindarajan^σ & Ethirajan Govindarajan^ρ

Abstract- This paper proposes a novel concept called “Percentage Nucleotide Concentration of genomes” in terms of cellular automata evolutions of adjoints of Adenine, Thymine, Guanine, and Cytosine. The adjoints of the given a genome sequence are the characteristic binary string sequences. For example, the adjoint of Adenine of a given genome sequence is a binary string consisting of 0's and 1's where 1's corresponds to the presence of Adenine in the genome sequence. So, one can have four adjoint sequences of Adenine, Thymine, Guanine, and Cytosine corresponding to a given genome sequence. One-dimensional three neighborhood binary value cellular automata rules could be applied to an adjoint sequence and the desired number of evolutions obtained. These rules are defined by linear Boolean functions and one can have 256 such linear Boolean functions. Nucleotide concentration is computed for an adjoint sequence and its variation evaluated for its successive evolutions based on a cellular automaton rule.

Keywords: cellular automata, evolutions of adjoints, linear boolean functions, nucleotide concentration in a genome.

I. INTRODUCTION

The purpose of the research carried out and reported in this paper is whether it is possible to categorize a set of genomes like the human genome repository. The concept of “%nucleotide concentration” introduced in this paper seems to show a way to accomplish this task. The genesis of the formulation of this concept originates from chemistry, wherein the quantificational notion of percentage ionic concentration of hydrogen (pH value) is used to categorize solutions into three (i) water, whose pH value is 7, (ii) acidic solutions whose pH values are less than 7 and (iii) alkaline solutions whose pH values are greater than 7. On the same lines, an effort was made to categorize genome sets based on four values (i) % nucleotide concentration of Adenine (pA), (ii) % nucleotide concentration of Thymine (pT), (iii) % nucleotide concentration of Guanine (pG) and (iv) %

nucleotide concentration of Cytosine (pC). It is reasonable to surmise that these values, possibly their compositions would categorize a given set of genomes. The formulation of the concept is briefly explained below. Section 2 of this paper describes the concept formulation.

Section 3 of this paper describes the fundamental notions of adjoints of a genome and their evolution using one dimensional cellular automata rules defined by linear Boolean functions. Section 4 provides experimental results of a case study pertaining to evaluation of Concentration of Nucleotides in terms of Adjoints of BrucellaSuis 1330 Genome Sequence.

II. CONCEPT FORMULATION

Analogous to the notion of pH value of a solution, the values of pA, pT, pG and pC of a genome sequence and possibly composition of these values like the proportion pA:pT:pG:pC seems to pave a way to classify and characterize genome sets. The definition of “Percentage Nucleotide Concentration” of a genome sequence is given below.

Definition

Given a genome sequence, the number of a particular nucleotide, say A, present in that genome sequence is counted and the sum is divided by the total number of nucleotides in that genome sequence. The fraction when multiplied by 100 yields the “Percentage Concentration of Adenine pA”. Similarly, one can evaluate pT, pG and pC.

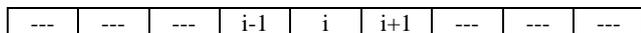
III. ONE-DIMENSIONAL THREE NEIGHBORHOOD CELLULAR AUTOMATA EVOLUTIONS OF ADJOINTS OF A GENOME SEQUENCE

Adjoint of a particular nucleotide in a genome sequence is the binary sequence obtained by substituting the particular nucleotides in the genome sequence by 1's and the others by 0's. For example, let us consider a sample sequence of BrucellaSuis 1330 for a case study. The actual length of the genome sequence of BrucellaSuis 1330 is 5806. A cellular

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automaton is an idealized parallel processing system consisting of an array of numbers (1-D, 2-D and more) realized using updating rules based on certain neighborhood. For example, a one-dimensional cellular automaton would consist of a finite-length array as shown below.



Consider an *i*th cell in the array. This cell has a neighbor *i-1* on its left and another *i+1* on its right. All three put together is called a three neighborhood. One can assign a site (cell) variable ξ_{i-1} , ξ_i , and ξ_{i+1} to the three neighborhood cells. At a particular instant of time, these variables take on numerical values, say either a 0 or a 1. In such a case, the variables are denoted as ξ_{i-1} , ξ_{ti} , and ξ_{ti+1} . The value of the *i*th cell at the next instant of time is evaluated using an updating rule that involves the present values of the *i*th, (*i-1*)th and (*i+1*)th cells. This updating rule is essentially a linear Boolean function of three variables. One can construct 256 linear Boolean functions as updating rules of one-dimensional three-neighborhood binary-valued cellular automata. Each rule defines an automaton by itself. So, one dimensional binary valued three neighborhood cellular automata (123CA) rules could be used to model adjoints of a genome sequence. The first twenty linear Boolean functions of cellular automata 123CA are listed below with their decimal equivalents.

Linear Boolean Function	Decimal Equivalent
0	0
$(\xi_{i-1}\xi_i\xi_{i+1})$	1
$(\xi_{i-1}\xi_i\xi_{i+1})$	2
$(\xi_{i-1}\xi_i)$	3
$(\xi_{i-1}\xi_i\xi_{i+1})$	4
$(\xi_{i-1}\xi_{i+1})$	5
$(\xi_{i-1}\xi_i\xi_{i+1})+(\xi_{i-1}\xi_i\xi_{i+1})$	6
$(\xi_{i-1}\xi_{i+1})+(\xi_{i-1}\xi_i)$	7
$(\xi_{i-1}\xi_i\xi_{i+1})$	8
$(\xi_{i-1}\xi_i\xi_{i+1})+(\xi_{i-1}\xi_i\xi_{i+1})$	9
$(\xi_{i-1}\xi_{i+1})$	10
$(\xi_{i-1}\xi_i) + (\xi_{i-1}\xi_{i+1})$	11
$(\xi_{i-1}\xi_i)$	12
$(\xi_{i-1}\xi_{i+1}) + (\xi_{i-1}\xi_i)$	13
$(\xi_{i-1}\xi_i) + (\xi_{i-1}\xi_{i+1})$	14
(ξ_{i-1})	15
$(\xi_{i-1}\xi_i\xi_{i+1})$	16
$(\xi_i\xi_{i+1})$	17
$(\xi_{i-1}\xi_i\xi_{i+1}) + (\xi_{i-1}\xi_i\xi_{i+1})$	18
$(\xi_i\xi_{i+1}) + (\xi_{i-1}\xi_i)$	19
$(\xi_{i-1}\xi_i\xi_{i+1}) + (\xi_{i-1}\xi_i\xi_{i+1})$	20

For the case study rule number 90 is applied to the adjoints of BrucellaSuis 1330 genome sequence and 500 evolutions generated. Rule 90 is shown below.

$$(\xi_{i-1}\xi_{i+1}) + (\xi_{i-1}\xi_{i+1}) \quad 90$$

Since the image of the 500 evolutions of BrucellaSuis 1330 is large, a small portion of the images are presented in this paper.

IV. CONCENTRATION OF NUCLEOTIDES IN ADJOINTS OF BRUCELLASUIS 1330 GENOME SEQUENCE

The values of pA, pT, pG and pC of the BrucellaSuis 1330 genome sequence are computed for the adjoints A(n), T(n), G(n) and C(n) and their 500 evolutions using 123CA rules based on linear Boolean functions. Fig. 1 shows the evolutions of the adjoints of A(n), T(n), G(n) and C(n) using the linear Boolean function rule 90 of 123CA. The values are tabulated and the corresponding graphs shown subsequently. Table 1 shows the pA values of A(n) of BrucellaSuis 1330 genome sequence and the 500 generations of A(n) using rule 90 of 123CA. Figs. 2 and 3 shows the graphs of the variations of pA values of all generations. Table 2 shows the pT values of T(n) of BrucellaSuis 1330 genome sequence and the 500 generations of T(n) using rule 90 of 123CA. Figs. 4 and 5 shows the graph of the variations of pT values of all generations. Table 3 shows the pG values of G(n) of BrucellaSuis 1330 genome sequence and the 500 generations of G(n) using rule 90 of 123CA. Fig. 4 shows the graph of variations of pA values of all generations. Table 4 shows the pC values of C(n) of BrucellaSuis 1330 genome sequence and 500 generations of C(n) using rule 90 of 123CA. Fig. 5 shows the graph of the variations of pC values of all generations.

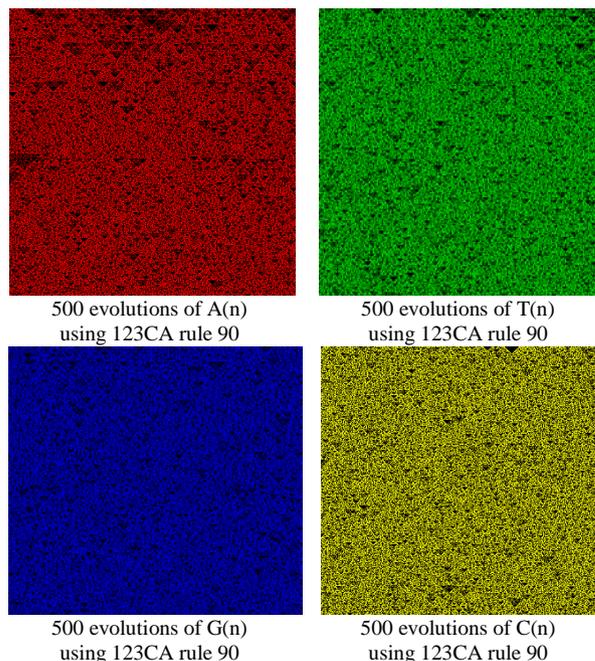


Fig. 1: Evolutions of the adjoints of A(n), T(n), G(n) and C(n).

Table 1: pA values of A(n) and its 500 evolutions

1	18.18705	21	47.76651	41	47.81829	61	50.08612	81	48.13778
2	50.02923	22	49.13882	42	49.92114	62	50.24118	82	48.56556
3	50.29623	23	48.97359	43	48.35716	63	52.30127	83	49.31205
4	49.02024	24	50.50161	44	47.24243	64	48.92929	84	48.92929
5	50.38831	25	49.30955	45	46.60965	65	48.90907	85	48.11100
6	42.62955	26	47.06272	46	49.56041	66	46.54823	86	48.03831
7	43.52601	27	48.62122	47	50.23931	67	47.78916	87	50.15051
8	45.51877	28	48.56181	48	47.04273	68	47.24243	88	48.92929
9	31.01650	29	48.69101	49	48.86667	69	49.91937	89	48.13778
10	42.02682	30	50.49494	50	48.13535	70	48.39821	90	49.59496
11	43.14700	31	49.96551	51	49.39718	71	48.50155	91	50.30070
12	48.57044	32	48.97819	52	49.54067	72	49.10486	92	50.15051
13	42.49555	33	50.05216	53	49.57019	73	48.50155	93	48.92929
14	48.18353	34	45.54252	54	50.27538	74	48.82941	94	50.08612
15	47.15811	35	41.46338	55	48.55353	75	49.05275	95	50.20688
16	50.02880	36	48.56136	56	50.44781	76	50.20688	96	50.38831
17	32.94688	37	42.22125	57	49.36279	77	47.82370	97	42.22125
18	43.13788	38	46.98848	58	50.17224	78	48.12126	98	48.56787
19	43.83396	39	47.48536	59	50.20688	79	48.48483	99	49.00103
200	48.13778	200.00000	48.13778	200.00000	48.13778	200.00000	48.13778	200.00000	48.13778



Fig. 3: Minimum pA values of A(n) and of its evolutions

$A_e(n)$	ρA
$e = 1$	30.50293
$e = 2$	30.29625
$e = 4$	30.38236
$e = 8$	31.01963
$e = 16$	31.34688
$e = 32$	30.83018
$e = 64$	30.89907
$e = 128$	31.45022
$e = 256$	30.96796

Fig. 3: Minimum pA values of A(n) and of its evolutions

Table 2: pT values of T(n) and its 500 evolutions

1	20.25491	21	43.73062	41	44.09232	61	54.25558	81	43.28281
2	50.45128	22	45.22041	42	48.05310	62	49.82208	82	49.90939
3	42.14989	23	49.61005	43	48.88696	63	51.84624	83	48.08278
4	43.74690	24	49.50052	44	51.20233	64	49.27661	84	50.58556
5	31.50071	25	43.38815	45	48.80062	65	51.82214	85	48.65656
6	41.06102	26	48.44855	46	49.65553	66	41.35003	86	45.54390
7	42.86161	27	48.34554	47	49.88663	67	49.19023	87	48.03831
8	48.80666	28	49.43104	48	49.79999	68	47.22101	88	49.14319
9	31.38300	29	50.24113	49	47.76507	69	43.82294	89	49.90939
10	43.11058	30	50.48226	50	49.75887	70	47.70207	90	49.62106
11	43.36003	31	49.88229	51	48.79474	71	49.48607	91	48.92929
12	48.94896	32	48.97124	52	49.50162	72	49.10486	92	50.15051
13	42.74564	33	47.64060	53	49.57939	73	48.50155	93	48.92929
14	37.42587	34	48.43848	54	48.22122	74	48.83288	94	49.07272
15	42.18238	35	48.69051	55	50.74061	75	50.08612	95	47.00002
16	42.90910	36	48.49101	56	49.83061	76	48.79419	96	48.92929
17	48.56272	37	50.09645	57	51.84844	77	49.58864	97	48.13778
18	48.27764	38	50.98971	58	49.79937	78	48.13778	98	49.00103
19	48.27764	39	50.98971	59	49.79937	79	48.13778	99	49.00103
200	48.13778	200.00000	48.13778	200.00000	48.13778	200.00000	48.13778	200.00000	48.13778

Fig. 3: Minimum pA values of A(n) and of its evolutions

Rule number 90 is applied to T(n) and its 500 generations. It is observed that the pT value becomes minimum at regular intervals of 1, 2, 4, 8, 16, 32, 64, 128 and 256. This indicates a fractal behavior of the evolution.
 Min(A(n))=30.45126;
 Max(A(n))=33.06924.
 The deviation is 2.61.

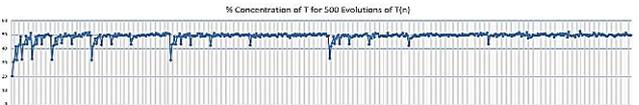


Fig. 4: pT values of T(n) and of its evolutions

$T_e(n)$	ρT
$e = 1$	30.45126
$e = 2$	32.15639
$e = 4$	31.94971
$e = 8$	32.3803
$e = 16$	32.65587
$e = 32$	32.19084
$e = 64$	31.82914
$e = 128$	31.82914
$e = 256$	33.06924

Fig. 5: Minimum pT values of T(n) and of its evolutions

Table 3: pG values of G(n) and its 500 evolutions

1	30.09923	21	48.17410	41	49.15989	61	48.82888	81	48.13882
2	49.07272	22	49.22616	42	47.17122	62	50.24113	82	50.30070
3	45.91731	23	48.78087	43	49.95955	63	49.56231	83	49.30666
4	49.24944	24	50.32801	44	49.07819	64	50.68800	84	49.97944
5	41.66641	25	48.20772	45	49.72661	65	49.20688	85	49.30666
6	48.80001	26	48.37916	46	49.87844	66	50.06167	86	50.49079
7	48.56157	27	50.18946	47	49.01388	67	47.73482	87	49.05272
8	48.22291	28	48.54273	48	48.69898	68	50.07722	88	50.36360
9	43.71424	29	50.94609	49	48.13289	69	48.97899	89	50.34447
10	48.10410	30	50.38189	50	49.83221	70	49.94833	90	49.82775
11	48.24311	31	48.18041	51	49.17174	71	50.48226	91	49.88666
12	48.77952	32	49.22281	52	49.83831	72	51.00006	92	48.98887
13	48.36237	33	42.42533	53	49.50263	73	49.00003	93	50.13779
14	48.47764	34	48.84254	54	49.98555	74	50.40022	94	51.86966
15	48.70071	35	48.37916	55	49.08993	75	51.05341	95	49.48885
16	48.44882	36	51.27372	56	49.27661	76	49.65831	96	50.49079
17	45.79951	37	47.24243	57	49.19188	77	50.97	97	48.70823
18	48.41548	38	50.12626	58	50.44781	78	49.80004	98	49.19049
19	48.20871	39	50.24222	59	50.68800	79	51.00006	99	49.97911
20	48.10410	40	50.38189	60	49.83221	80	49.94833	100	49.82775
200	48.13778	200.00000	48.13778	200.00000	48.13778	200.00000	48.13778	200.00000	48.13778

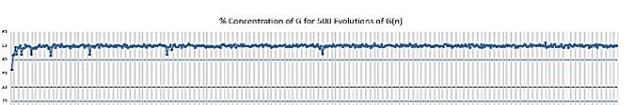


Fig. 6: pG values of G(n) and of its evolutions

Rule number 90 is applied to G(n) and its 500 generations. It is observed that the pG value becomes minimum at regular intervals of 1, 2, 4, 8, 16, 32, 64, 128 and 256. This indicates a fractal behavior of the evolution.
 Min(A(n))=43.00723
 Max(A(n))=44.29900
 The deviation is 1.46.

G _(n)	pG
e = 1	43.00723
e = 2	43.97175
e = 4	43.86841
e = 8	43.7134
e = 16	43.79952
e = 32	42.835
e = 64	43.74785
e = 128	43.57561
e = 256	44.299

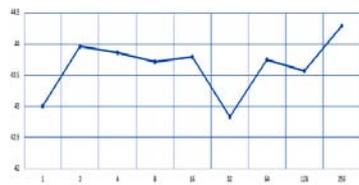


Fig. 7: Minimum pG values of G(n) and of its evolutions

Table 4: pC values of C(n) and its 500 evolutions

1	27.86772	21	46.6058	41	43.65456	61	48.31209	81	46.95143
2	44.7161	22	49.67751	42	50.66118	62	50.44447	82	50.11902
3	43.1932	23	49.08713	43	50.43377	63	50.94713	83	50.67172
4	48.5532	24	50.48226	44	49.87944	64	49.95555	84	49.15495
5	39.37366	25	47.27201	45	50	65	40.47537	85	49.03548
6	48.81157	26	49.37995	46	48.38999	66	47.20978	86	50.32725
7	48.36155	27	49.74165	47	50.34447	67	47.77814	87	49.35955
8	50.51592	28	50.76228	48	50.68565	68	49.19421	88	50.55115
9	49.69928	29	49.84469	49	47.57141	69	47.55425	89	50.83722
10	47.9594	30	49.84833	50	49.89278	70	50.12056	90	49.44607
11	48.85858	31	49.20722	51	50.40948	71	50.08612	91	50.80951
12	48.91929	32	49.3453	52	51.22027	72	50.01122	92	50.20664
13	47.86742	33	39.83977	53	50.36169	73	48.40489	93	50.6545
14	50.83843	34	48.81929	54	49.81854	74	50.36169	94	51.38959
15	49.88995	35	48.1742	55	49.84833	75	56.33779	95	50.41327
16	49.44883	36	50.98016	56	49.95111	76	49.24455	96	50.27551
17	39.23139	37	48.00311	57	49.4655	77	49.08278	97	47.29519
18	47.46536	38	50.20668	58	46.49074	78	48.94906	98	49.52413
19	47.12567	39	49.93111	59	50.70417	79	48.79332	99	48.88221
20	50.51774	40	49.48329	60	50.58333	80	56.17224	100	49.19713

281	49.39718	321	49.3455	341	48.88047	361	47.82863	381	48.86324
282	49.84499	322	51.25732	342	50.95067	362	50.67172	382	49.31106
283	49.7972	323	50.88889	343	50.80951	363	49.72442	383	50.8473
284	49.50072	324	48.81172	344	50.58889	364	50.48919	384	50.11732
285	50.68884	325	50.27551	345	51.67699	365	50.36776	385	49.87778
286	50.41781	326	49.08713	346	50.70417	366	51.2901	386	51.11053
287	49.00903	327	49.7072	347	50.8784	367	49.36169	387	49.89598
288	48.95214	328	50.1834	348	51.18946	368	49.48329	388	50.22391
289	48.91492	329	50.8051	349	50.79238	369	50.2983	389	48.5806
290	49.86221	330	50.36169	350	48.77173	370	50.2983	390	50.01722
291	50.36668	331	49.7072	351	50.76617	371	49.55496	391	50.80951
292	50.6055	332	49.69841	352	49.89278	372	50.38914	392	51.08791
293	29.54596	333	49.62108	353	48.56257	373	47.76904	393	48.31209
294	49.72442	334	49.15055	354	50	294	48.7072	394	50.03445
295	48.43482	335	50.53795	355	50.46504	375	49.89998	395	50.47481
296	49.55219	336	50	296	48.18046	376	49.5174	396	49.08178
297	50.02485	337	49.65533	357	48.95783	377	49.98278	397	49.46607
298	49.51774	338	49.53496	358	48.86376	378	49.72442	398	49.87944
299	50.75724	339	50.56838	359	48.31289	379	50.82075	399	49.51106
300	49.98278	340	49.94833	360	49.38328	380	49.74165	400	50.6545



Fig. 8: pC values of C(n) and of its evolutions

C _(n)	pC
e = 1	40.7165
e = 2	41.31932
e = 4	39.37306
e = 8	40.69928
e = 16	39.32139
e = 32	39.88977
e = 64	40.47537
e = 128	39.57975
e = 256	40.95763

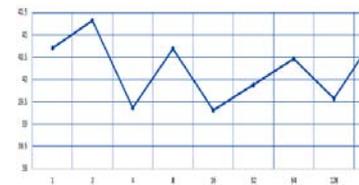


Fig. 9: Minimum pC values of C(n) and of its evolutions

V. CONCLUSIONS

This paper proposes a novel concept called "Percentage Nucleotide Concentration of genomes" in terms of cellular automata evolutions of adjoints of Adenine, Thymine, Guanine, and Cytosine. The research

carried out and reported in this paper exhibits the possibility to categorize a set of genomes like the human genome repository. In short, the concept of "Percentage Nucleotide Concentration (PNC)" introduced in this paper seems to show a way to accomplish this task.

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