

# An Ambigramic Image File Format

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Received: 11 December 2020 Accepted: 3 January 2021 Published: 15 January 2021

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## Abstract

We propose an image file format that can be read in two ways, where two images are recorded in a single file as a bit sequence, and the forward reading the bit sequence makes one of the two images visible, or the backward reading makes another image visible. Such a way of looking at a binary data in two ways resembles that of an ambigram, which is a piece of calligraphy that can be read in two ways by rotating it or introducing other perspectives. The proposed ambigramic image file format is compared with the graphics interchange format (GIF) experimentally, and the results show the better quality of the ambigramic images than that of GIF images.

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**Index terms**— ambigram, image file format, error diffusion, integral image-based signal-to-noise ratio (ISNR).

## 1 Introduction

mbigram is a typographical design that can be read in multiple orientations as shown in Fig. 1, where a word 'ambigram' is written in a rotationally symmetric manner. There are other types of ambigrams such as mirror, perceptual shift and 3D ambigrams [1]. Langdon [2], [3] has made a lot of interesting ambigrams for a long time. Those ambigramic artworks give pleasure to the viewers, and provide great inspiration for artists and engineers. Inspired by such successful ambigrams, in this paper we suggest an application of the idea of ambigram to an ambigramic interpretation of a bit sequence. In other words, we propose a method for describing two images with a bit sequence, which is a digital ambigram that can be seen as one of the two images if the bit sequence is read forward direction, or as another image if the bit sequence is read backward direction. The proposed ambigramic images are compared with the graphics interchange format (GIF) images [4], and the effectiveness of the proposed method is demonstrated in the experiments using natural images, where an image quality measure is used for evaluating the quality of halftone images including palette-based images such as GIF images.

The rest of this paper is organized as follows: Section 2 describes the proposed algorithm for generating ambigramic bit sequences. Section 3 shows experimental results. Finally, Section 4 concludes this paper.

## 2 II.

## 3 Proposed Ambigramic Image Data Structure

In this section, we propose a method for formatting image data into an ambigramic data structure, which is recorded in a binary file. Assume that two images are given as an input data as  $A = [a_{ij}]$  and  $B = [b_{ij}]$ , where  $a_{ij}$  and  $b_{ij}$  denote color vectors at the pixel position  $(i, j)$  in the images  $A$  and  $B$ , respectively, for  $i = 1; 2; \dots; m$  and  $j = 1; 2; \dots; n$ , i.e.,  $A$  and  $B$  are the same size. Then we attempt to store  $A$  and  $B$  in a storage as a single file. Figure 2 illustrates the situation, where  $A$  and  $B$  are represented by a bit sequence, and stored in some place of a storage. If we read the bit sequence from left to right, then we see the image  $A$ . On the other hand, if we read it from right to left, then we see the image  $B$ . The procedure for constructing such a bit sequence from  $A$  and  $B$  is described as follows. Abstract-We propose an image file format that can be read in two ways, where two images are recorded in a single file as a bit sequence, and the forward reading the bit sequence makes one of

the two images visible, or the backward reading makes another image visible. Such a way of looking at a binary data in two ways resembles that of an ambigram, which is a piece of calligraphy that can be read in two ways by rotating it or introducing other perspectives. The proposed ambigramic image file format is compared with the graphics interchange format (GIF) experimentally, and the results show the better quality of the ambigramic images than that of GIF images. where the horizontally adjacent pixels are separated by semicolons. Next, we reverse the order of the bit sequence in (2) as follows:

where note that the third subscripts (1:4) is also reversed as (4:1), e.g.,  $??\ 1,1,4:1??$  denotes  $??\ 1,1,4\ ??\ ??\ 1,1,3\ ??\ ??\ 1,1,2\ ??\ ??\ 1,1,1$

$??$ . Then we combine (??) and (??) as follows:

The proposed error diffusion algorithm is described as follows. For one image A, all pixels are processed in a standard raster scan order, and at the same time, for another image B, all pixels are processed in the inverse raster scan order. For the first pixel in image A, the original color vector a 1,1 changes to

Where k and l denote relative indices to access the neighboring pixels, and w k,l denotes error diffusion coefficients or error filter [5]. On the other hand, for the last pixel in image B, the original color vector b m,n changes to Subtracting b ?m,n from b m,n, we define an error vector by which is diffused to unprocessed neighboring pixels as where note that the sign of the relative indices k and l is reversed except in w k,l because of the inverse raster scan.

After the above error diffusion procedures in (7) and (10), we proceed to the next pixels a 1,2 and b m,n?1, and the error diffusion procedures are repeated until the end of the scan. r A 1,1,1:4, g A 1,1,1:4, b A 1,1,1:4; r A 1,2,1:4, g A 1,2,1:4, b A 1,2,1:4; ? ? ? ? ? ? ; r A m,n,1:4, g A m,n,1:4, b A m,n,1:4 (1) r B 1,1,1:4, g B 1,1,1:4, b B 1,1,1:4; r B 1,2,1:4, g B 1,2,1:4, b B 1,2,1:4; ? ? ? ? ? ? ; r B m,n,1:4, g B m,n,1:4, b B m,n,1:4 (2) b B m,n,4:1, g B m,n,4:1, r B m,n,4:1; ? ? ? ? ? ? ; b B 1,2,4:1, g B 1,2,4:1, r B 1,2,4:1; b B 1,1,4:1, g B 1,1,4:1, r B 1,1,4:1 (3) (r A 1,1,1:4 | b B m,n,4:1) 2, (g A 1,1,1:4 | g B m,n,4:1) 2, (b A 1,1,1:4 | r B m,n,4:1) 2; ? ? ? ? ; (r A m,n,1:4 | b B 1,1,4:1) 2, (g A m,n,1:4 | g B 1,1,4:1) 2, (b A m,n,1:4 | r B 1,1,4:1) 2 (4)  $\tilde{a}_{1,1} = ? ? (r A 1,1,1:4 | b B m,n,4:1) 2 (g A 1,1,1:4 | g B m,n,4:1) 2 (b A 1,1,1:4 | r B m,n,4:1) 2 ? ? ? . (5) e_{A 1,1} = a_{1,1} - \tilde{a}_{1,1}, (6) a_{1+k,1+l} = a_{1+k,1+l} + w_{k,l} e_{A 1,1}, (7) b_{m,n} = ? ? (r B m,n,1:4 | b A 1,1,4:1) 2 (g B m,n,1:4 | g A 1,1,4:1) 2 (b B m,n,1:4 | r A 1,1,4:1) 2 ? ? ? . (8)$

Algorithm 1 Constructing ambigramic bit sequence for i 1 to m do6: i R m + 1 ? i 7:

for j 1 to n do8: j R n + 1 ? j 9:

Round the elements of a ij and b i R ,j R to 8-bit integers 10:  $\tilde{a}_{ij} ? ? (r A i,j,1:4 | b B i R ,j R ,4:1) 2 (g A i,j,1:4 | g B i R ,j R ,4:1) 2 (b A i,j,1:4 | r B i R ,j R ,4:1) 2 ? ? 11: b_{i R ,j R} ? ? (r B i R ,j R ,1:4 | b A i,j,4:1) 2 (g B i R ,j R ,1:4 | g A i,j,4:1) 2 (b B i R ,j R ,1:4 | r A i,j,4:1) 2 ? ? 12: e_{A ij} a_{ij} ? \tilde{a}_{ij} 13: e_{B i R ,j R} b_{i R ,j R} ? b_{i R ,j R} 14:$

for (k, l) ? KL ij do 15:

a i+k,j+l a i+k,j+l + w k,l e A ij

16: b i R ?k,j R ?l b i R ?k,j R ?l + w k,l e B i R ,j R b m?k,n?l b m?k,n?l + w k,l e B m,n, (9)

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## 4 Global Journal of Computer Science and Technology

Volume XXI Issue I Version I

### 5 ( )

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Our basic principle is to preserve more significant bits of the original image data in the resultant ambigramic image file. Following this principle, we first extract four MSBs from both A and B as follows: which can be viewed as an ambigramic bit sequence, because if we read the bit sequence in (4) from left to right then the four MSBs in every pixel show the image A, on the other hand, if we read it from right to left then the four LSBs in every pixel are inversely read to show the image B. However, the resultant images can be corrupted by the replacement of the original four LSBs with others. To alleviate such a quality deterioration in the images, we next propose an error diffusion algorithm for generating better bit sequence, which improves the visual quality of the images.

Subtracting  $\tilde{a}_{1,1}$  from a 1,1, we define an error vector by which is diffused to unprocessed neighboring pixels as? ? ? ? ? ? ? ? ? ? ? ? ? ? ? ?

The proposed error diffusion procedure is summarized in Algorithm 1, where the function 'zeros\_like' returns an array of zeros being the same III.

## 7 Experimental Results

In this section, we demonstrate the performance of the proposed method for formatting image data into an ambigramic data structure.

101 First, we show an example of the proposed ambigramic image data with two images selected from the standard  
 102 image database SIDBA [6]. Figures 3(a) 5(c) and ??d) show the graphics interchange format (GIF) images, and  
 103 the GIF format is widely used on the Web due to its wide support and portability [4]. Figures 5 (e) and (f)  
 104 show the results of the proposed ambigramic method without error diffusion (ED), where a daruma (dharma)  
 105 doll and a beckoning cat can be seen as well as the above GIF images. Figures 5(g) and (h) show the results  
 106 with ED (Algorithm 1), where we used Floyd and Steinberg's error filter [7] for  $w, k, l$  in (7) and (10) as shown  
 107 in Fig. 6 where "#" denotes the current pixel being processed, and "-" denotes the past pixel, and the visual  
 108 quality is improved compared with the former results (e) and (f). The GIF images are palette-based ones each  
 109 of which has a palette table of 256 colors. That is, the GIF images are a sort of halftone images [5] as well as the  
 110 proposed ambigramic images. To evaluate the quality of those images objectively and quantitatively, we present  
 111 a parameter-free measure based on integral image [8].

112 -#  $w, 0, 1 =$  First, we compute the integral images of both reference (original)  $R$  and test (format-converted)  
 113  $T$  images, which are denoted as  $I = [ ]$  and  $J = [ ]$ , respectively. Then we compute the signal-to-noise ratio (SNR)  
 114 [9] of the integral images and as follows:  $ISNR(R, T) = SNR R, T(11)$   
 115  $= 10 \log_{10} \frac{\sum_{i=1}^m \sum_{j=1}^n (r_{ij} - t_{ij})^2}{\sum_{i=1}^m \sum_{j=1}^n r_{ij}^2}$ . (12)

116 format for both images, which demonstrates the effectiveness of the proposed algorithm. Additionally, we  
 117 examine the applicability of the proposed algorithm to natural images shown in Fig. ??, where Fig. ??(a)  
 118 shows five pairs of natural images where the top row shows the first images  $A$ , and the second row shows the  
 119 corresponding second ones  $B$ . Figures ??(b), (c) and ??d) show the corresponding format-converted images by  
 120 GIF, the proposed ambigramic method without ED and Algorithm 1. Although, in Fig. ??(c), we can see false  
 121 contours, they are removed in Fig. ??(d).

122 The ISNR values for those images in Fig. ?? are summarized in Table 1, where the proposed Algorithm 1  
 123 achieves higher values than the GIF images and ambigramic images without ED.

## 124 8 Conclusions

125 In this paper, we proposed an algorithm for formatting an ambigramic image file into which two images of  
 126 the same size are recorded. If we read it forward direction, then we see the first image, on the other hand,  
 127 if we read it backward direction, then we see the second one. We compared the proposed ambigramic image  
 128 file format with the GIF format which has acquired a widespread use on the Web, and demonstrated that the  
 129 proposed ambigramic images achieved higher quality than the GIF images based on an image quality measure.  
 130 Experimental results showed that the proposed algorithm is also applicable to natural images. An Ambigramic  
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133 We call this measure the integral image-based SNR (ISNR).

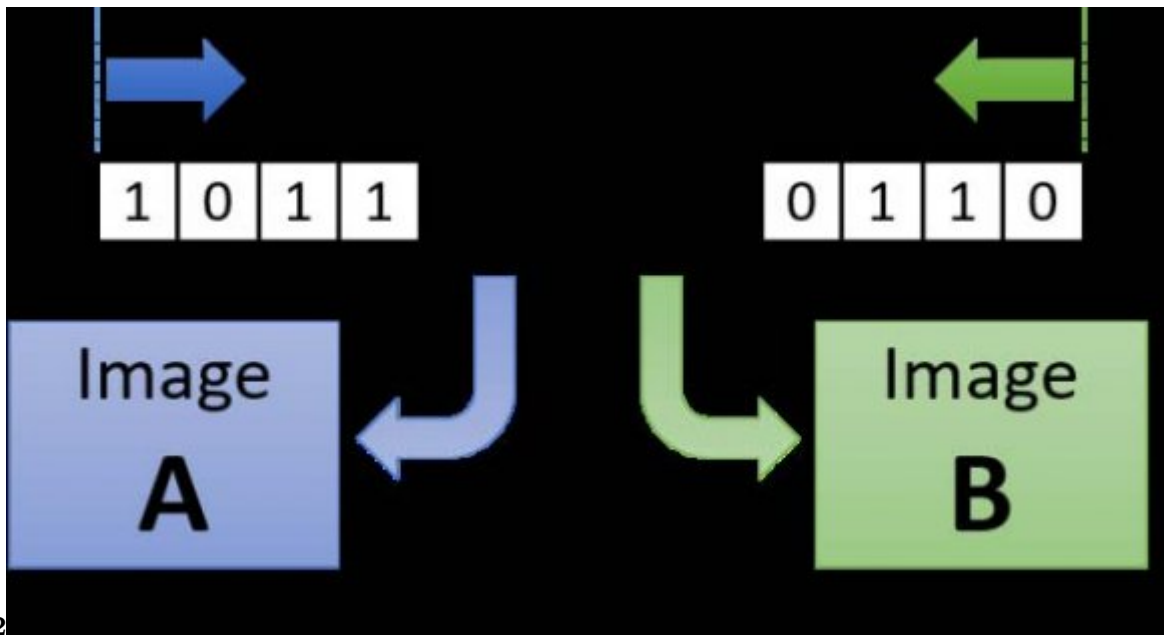
134 For the format-converted images in Fig. 5, their ISNRs are plotted in Fig. 7, where the vertical and horizontal  
 135 axes denote the ISNR value and image name, respectively, and green, yellow and orange bars denote the file  
 136 formats, GIF, ambigramic format without ED and the final ambigramic format by Algorithm 1, respectively.  
 Algorithm 1 achieves higher ISNR values than GIF



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Figure 1: Figure 1 :

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Figure 2: Figure 2 :



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Figure 3: 1 :



Figure 4:



Figure 5:



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Figure 6: Figure 3 :



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Figure 7: Figure 4 :



Figure 8: F



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Figure 9: Figure 5 :



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Figure 10: Figure 6 :



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Figure 11: Figure 7 :

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Pair 1	Pair 2	Pair 3	Pair 4	Pair 5
GIF image A	49.97	49.39	46.80	48.41 50.13
GIF image B	46.51	50.96	46.26	48.82 47.08
A? without ED	38.05	46.97	33.59	47.34 45.28
B? without ED	34.87	45.56	35.46	50.90 40.00
A? by Alg. 1	73.93	60.81	82.48	95.21 75.76
B? by Alg. 1	63.61	88.92	53.09	94.37 85.13
IV.				

Figure 12: Table 1 :



138 .1 Acknowledgments

139 This work was supported by JSPS KAKENHI Grant Number JP16H03019.

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